

Introduction

PLANT (Population synthesis with Learned Astrophysical geNERative models for graviTational-wave populations) uses neural generative models to emulate GW merger populations orders of magnitude faster than traditional simulation.

- LIGO-Virgo-KAGRA have detected 390 compact-binary mergers in the gravitational-wave transient catalog (GWTC-5.0; LVK Collaboration 2026).
- Linking mergers to star formation requires costly population-synthesis runs governed by the cosmic star formation rate (SFR) (Madau & Dickinson 2014):

$$\psi(z) = a \frac{(1+z)^b}{1 + \left(\frac{1+z}{c}\right)^d} [M_\odot \text{ yr}^{-1} \text{ Gpc}^{-3}]$$

- **Forward model:** COMPAS binary evolution + cosmic integration (SSPC; Neijssel et al. 2019) maps astrophysical hyperparameters Λ to merger catalogs (m_{chirp}, q, z) .
- **Bottleneck:** each Λ needs $\sim 10^6$ – 10^7 binaries (many CPU-hours per point; Barrett et al. 2017). Hierarchical inference or dense grids require $\sim 10^3$ – 10^4 computationally intractable forward evaluations (Team COMPAS et al. 2022).

Question: Can conditional generative models learn to produce realistic GW merger catalogs directly from astrophysical parameters, bypassing expensive population-synthesis runs?

Training Data

The SSPC (Synthetic Stellar Population Convolve) framework convolves COMPAS binaries with the Madau-Dickinson SFR and Neijssel+19 metallicity model. We train on COMPAS (Riley+ 2022): 3.35×10^6 DCO systems across SMT, CE, CHE channels. We grid over a_{SFR} and μ_0 (two parameters that strongly drive predictions) as a feasibility test, sampling the other 7 nuisance parameters stochastically. For each grid point we compute the intrinsic merger rate:

$$\frac{dN}{dz_m} = \int_0^{z_{\text{max}}} \psi(z_f; \Lambda) p(Z | z_f; \Lambda) p(\tau) \frac{dV_c}{dz_f} dz_f$$

weighting each binary by its formation rate and delay time τ .

- $a_{\text{SFR}} \in [10^{-6}, 0.092]$, $\mu_0 \in [10^{-6}, 0.061]$ (van Son+ 2022, TNG100 $\pm 1\sigma$)
- 7 nuisance params ($b, c, d, \mu_z, \sigma_0, \sigma_z, \alpha_{\text{skew}}$) sampled per cell
- $50 \times 50 \times 3$ channels = 7,500 cells; 50K events each \rightarrow 375M mergers
- Observables: \mathcal{M}_c, q, z ; Λ (12-D) conditioning

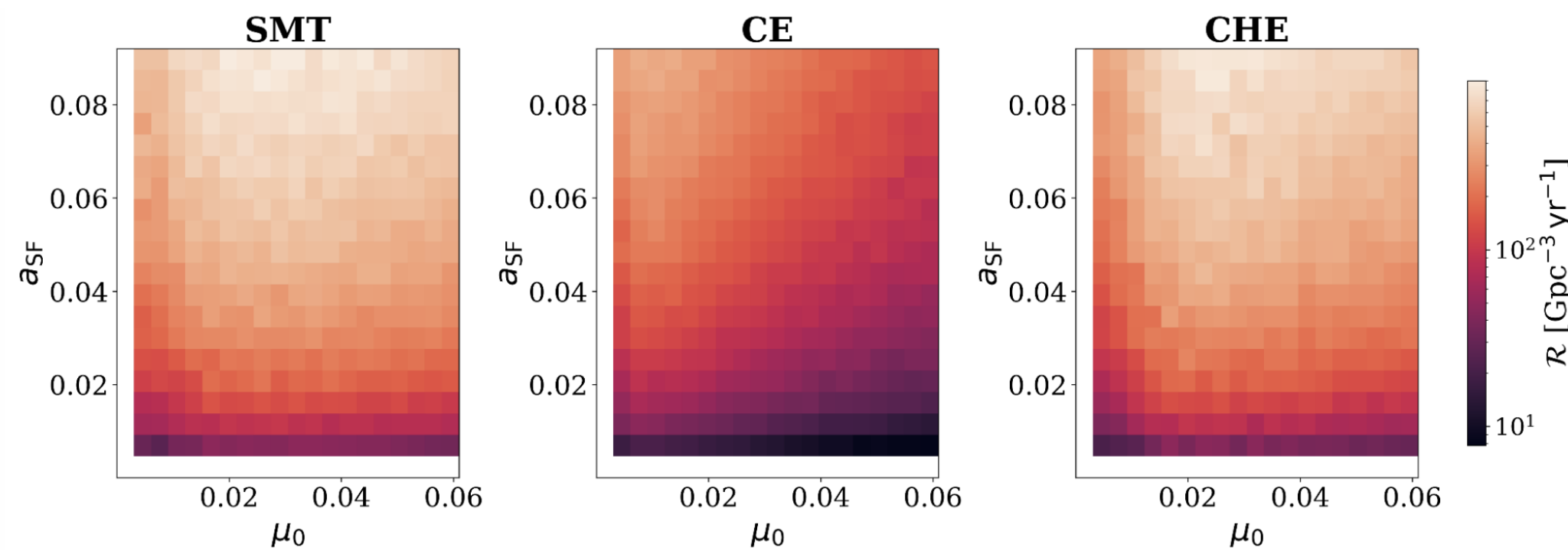


Figure 1: Merger-rate density across the (a_{SFR}, μ_0) grid.

Methods: Generative Models

Both models learn $p(\mathcal{M}_c, q, z | \Lambda)$ with a shared conditioning encoder.

Conditional Flow Matching (CFM)

- Deterministic ODE velocity field, optimal-transport paths (Lipman+ 2023)
- $\mathcal{L} = \mathbb{E} \|v_\theta - (x_1 - x_0)\|^2$
- Single forward pass at inference

Score-Based Diffusion

- Iterative denoising, linear schedule, $T=100$ steps (Ho+ 2020)
- $\mathcal{L} = \mathbb{E}_{t,\epsilon} \|\epsilon_\theta(x_t, t, \Lambda) - \epsilon\|^2$
- Strong mode coverage for multimodal targets

Baseline: Naive Bayes

- Per-cell Gaussians, kernel-weighted mix: $\pi_g \propto \exp(-\|\Lambda - \Lambda_g\|^2 / 2\tau^2)$
- No training, statistical estimate. Lower bound on fidelity.

Methods: Pipeline

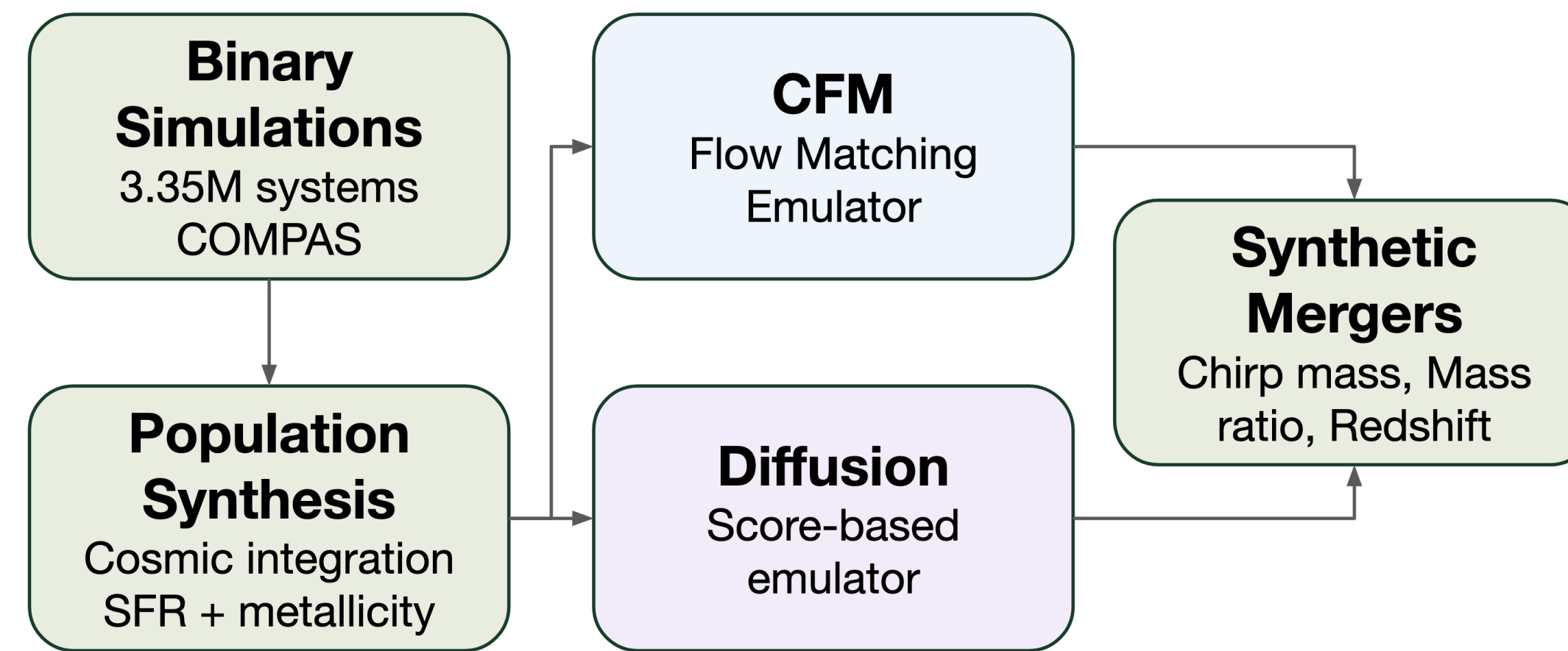


Figure 2: PLANT pipeline, from binary simulations to fast catalog generation.

Methods: Architecture

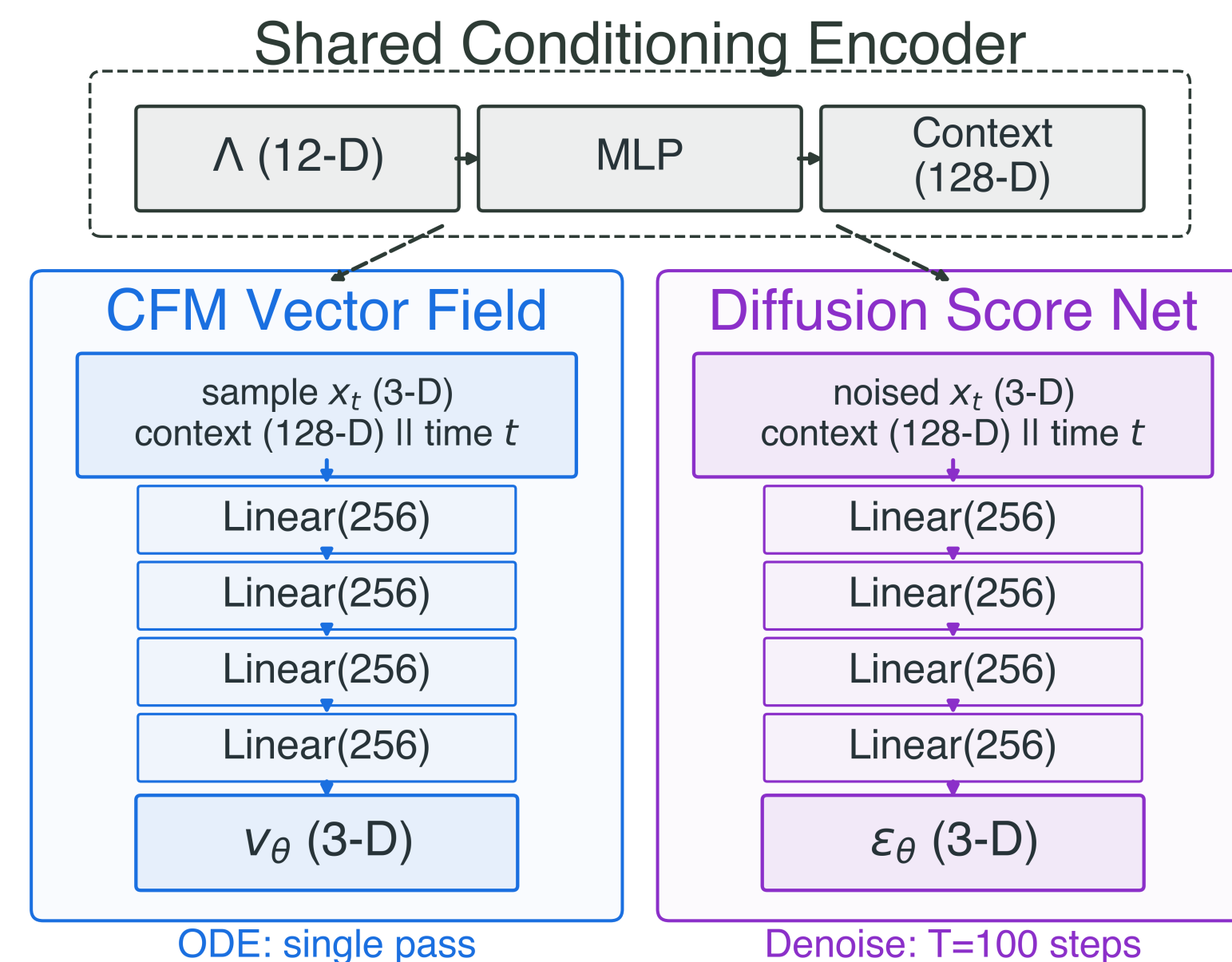


Figure 3: Shared encoder feeds both generation heads.

Results

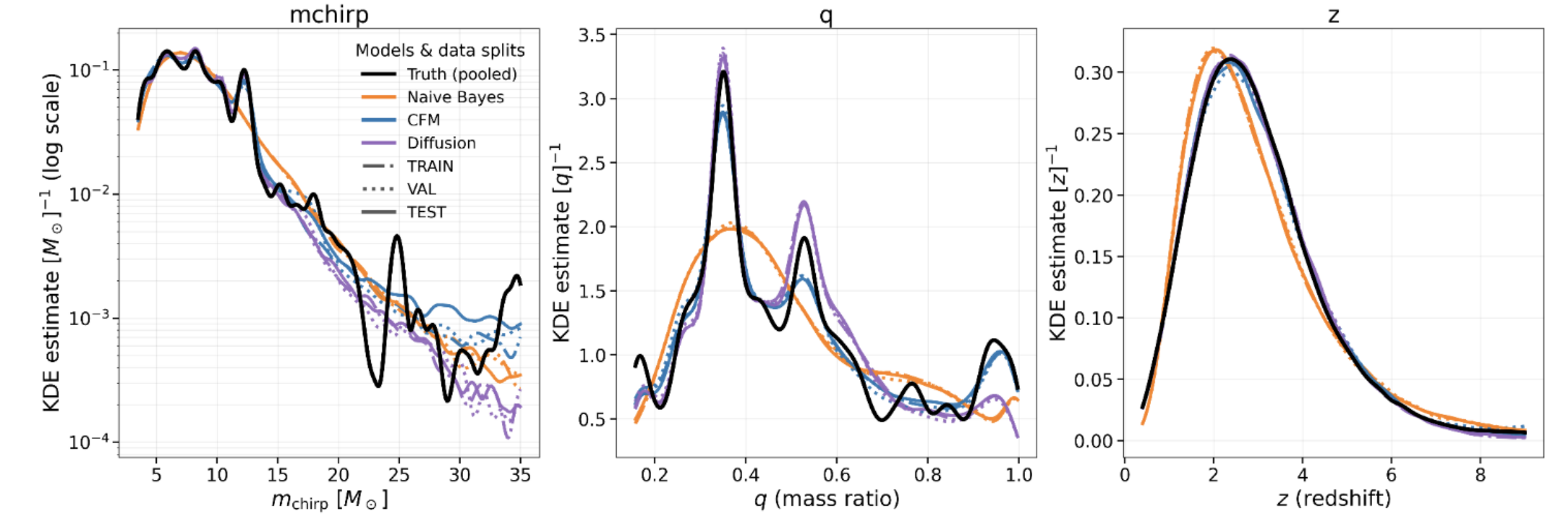


Figure 4: Emulator vs. ground truth marginals (\mathcal{M}_c, q, z) on held-out grid points.

On held-out settings, CFM and Diffusion reproduce the bulk of intrinsic merger distributions; all emulators struggle on the high- \mathcal{M}_c tail, which is sparse.

	W_1	$\mathcal{M}_c [M_\odot]$	q	z
CFM		0.12	0.005	0.04
Diffusion		0.40	0.021	0.07
Naive Bayes		0.33	0.016	0.15

- CFM outperforms other models on Wasserstein metric across all three observables
- Naive Bayes is fast (CPU, no backprop) but factorized Gaussians miss q structure
- All emulators 300–500 \times faster than SSPC per catalog

Conclusions & Next Steps

- Demonstrated feasibility of generative models on selected star formation parameter space
- Both models reproduce multimodal merger distributions across all three formation channels
- Opens up real-time parameter exploration previously bottlenecked by simulation cost

Next steps:

- Finetune hyperparameters of generative models
- Add χ_{eff} ; scale to full 9-D SSPC grid
- Selection effects and measurement uncertainty
- Ensemble of emulators for epistemic uncertainty
- Apply to real LVK O4/O5 data

References

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